1. Consider $Y \sim N\left(X \beta, \sigma^{2} I_{n}\right)$ where $X \in R^{n \times p}$ and $1_{n} \in \mathcal{R}(X)$.
(1) Show that $S S M=Y^{\prime}\left(X X^{+}-1_{n} 1_{n}^{+}\right) Y$ is an SS.
(2) Show that $S S M$ is part of $\mathrm{SSTO}=Y^{\prime}\left(I-11^{+}\right) Y$.
(3) Find an SS such that $S S T O=S S M+S S$.
2. For model $y=\beta_{0}+\beta_{1} x_{1}+\beta_{2} x_{2}+\beta_{3} x_{3}+\epsilon$ consider a test on $H_{0}:\left(\begin{array}{cccc}-0.5 & 10 & 0 & -20 \\ 0 & 0 & 1 & 0\end{array}\right) \beta=0$. Write your report with y , $\mathrm{x} 1, \mathrm{x} 2$, x 3 in file "ex.txt".
